



ELSEVIER

Available online at www.sciencedirect.com



Journal of Geometry and Physics 48 (2003) 133–134



www.elsevier.com/locate/jgp

Erratum

Erratum to: “Reductive G -structures and Lie derivatives” [J. Geom. Phys. 47 (2003) 66–86][☆]

Marco Godina^a, Paolo Matteucci^{b,*}

^a Dipartimento di Matematica, Università di Torino, Via Carlo Alberto 10, 10123 Torino, Italy

^b Faculty of Mathematical Studies, University of Southampton, Highfield, Southampton SO17 1BJ, UK

After the publication of the paper, we noticed a number of notational inconsistencies in the last part of Section 6, which could be potentially misleading. For the reader’s convenience, we take this opportunity to correct also some minor misprints.

- Page 67, line 7 from below. *Erratum*: “in Section 4”. *Corrigendum*: “in Section 5”.
- Page 73, line 10 from below. *Erratum*: “ $(u, f)_\lambda$ ”. *Corrigendum*: “ (u, f) ”.
- Example 4.11, line 2 from below. *Erratum*: “ $a_l^r = (\partial_l(a^{-1}f(x)))|_{x=0}^r$ ”. *Corrigendum*: “ $a_l^r = (\partial_l(a^{-1} \cdot f(x))|_{x=0})^r$ ”.
- Proposition 5.4, line 1 from below. *Erratum*: “ $\mathcal{E}_i(u) \in \Sigma^i$ ”. *Corrigendum*: “ $\mathcal{E}_i(u) \in \Sigma_u^i$ ”.
- Corollary 5.6, line 1 from below. *Erratum*: “ Σ^i ”. *Corrigendum*: “ $(i_p^*(\Sigma^i))_u$ ”.
- Example 5.17 in page 78, line 3 from below. *Erratum*: “SO(q, p)-invariant”. *Corrigendum*: “SO(p, q)-invariant”.
- Proof of Lemma 6.14, line 3. *Erratum*: “on the subset P of Q ”. *Corrigendum*: “on Q ”.
- Proposition 6.19, line 1 from below. *Erratum*: “iff $\mathcal{E}_\Sigma^G K = 0$ ”. *Corrigendum*: “iff $\mathcal{E}_\Sigma K = 0$, whence $\mathcal{E}_\Sigma^G K \equiv 0$ for any GL(m, \mathbb{R})-invariant vector field \mathcal{E} on LM ”.
- Page 84, line 4 from below. *Erratum*: “The choice $P = Q = LM, G = H = \text{GL}(m, \mathbb{R})$ and $\mathcal{E}_K = \mathcal{E} = L\xi$ ”. *Corrigendum*: “The choice $\mathcal{E} = L\xi$ ”.
- Corollary 6.20. Replace the statement of the corollary with the following text: “Let \mathcal{E} be a GL(m, \mathbb{R})-invariant vector field on LM , and let g be a metric tensor on M of signature (p, q) . Then, $\mathcal{E}_\Sigma^{\text{SO}(p,q)} g \equiv 0$ ”.
- Example 6.21, line 5. *Erratum*: “ $\mathcal{E}_{\xi_K}^{\text{SO}(p,q)} \psi$ ”. *Corrigendum*: “ $\mathcal{E}_{L\xi}^{\text{SO}(p,q)} \psi$ ”.
- Example 6.21, lines 6 and 7. *Erratum*: “ $Q = P = \text{SO}(M, g), H = G = \text{SO}(M, g), \tilde{Q} = \text{Spin}(M, g)$ and $\tilde{Q}_\lambda = S(M)$ ”. *Corrigendum*: “ $P = \text{SO}(M, g), G = \text{SO}(M, g), \tilde{P} = \text{Spin}(M, g)$ and $\tilde{P}_\lambda = S(M)$ ”.

[☆] doi of original article 10.1016/S0393-0440(02)00174-2.

* Corresponding author.

E-mail addresses: godina@matlag.dm.unito.it (M. Godina), p.matteucci@maths.soton.ac.uk (P. Matteucci).

- Example 6.21, line 7 from below. *Erratum*: “For $\mathfrak{L}_{\xi_K}^{\text{SO}(p,q)} g$ ”. *Corrigendum*: “For $\mathfrak{L}_{L\xi}^{\text{SO}(p,q)} g$ ”.
- Example 6.21, line 5 from below. *Erratum*: “ $\mathfrak{L}_{\xi_K}^{\text{SO}(p,q)} g_{\mu\nu}$ ”. *Corrigendum*: “ $\mathfrak{L}_{L\xi}^{\text{SO}(p,q)} g_{\mu\nu}$ ”.
- Example 6.21, line 1 from below. *Erratum*: “ $\equiv 2\nabla_{(\mu\xi\nu)} \equiv \mathfrak{L}_{\xi} g_{\mu\nu} \equiv \mathfrak{L}_{\mathcal{E}} g_{\mu\nu}$ ”. *Corrigendum*: “ $\equiv 2\nabla_{(\mu\xi\nu)} \equiv \mathfrak{L}_{\xi} g_{\mu\nu}$ ”.